H.T No: Course Code: A30506



CMR COLLEGE OF ENGINEERING & TECHNOLOGY

(UGC AUTONOMOUS)

B.Tech III Semester Regular & Supplementary Examinations Feb/March -2023

(Note: Assume suitable data if necessary) PART-A Answer all Tay questions (Compulsory) Each question carries TWO marks. 1. Find the relation R on {1, 3, 5} is such that x R y if and only if y = x + 2. 2. Find the power set of A = {1, 2, 3}. 3. State pigeonhole principle. 4. Find the number of ways of placing 10 similar balls in 6 number boxes. 5. Define Tautology and Contradiction. 6. Define free and bounded variables. 7. Define semi group. 8. In a Boolean algebra, show that x + (x . y) = x. 9. Define Hamiltonian cycle with example. 10. State the Euler's Formula. PART-B Answer the following. Each question carries TEN Marks. 11.A). If R and S are transitive relations on a set A, then show that R ∩ S is transitive OR 11. B). Find an equivalence relation on a set {1,2,3} corresponding to the partition { 12. A). Explain power set theorem with example. OR 12. B). In how many ways can the letters {5a, 4b, 3c} be arranged so that all the same kind are not in a single block. 13. A). Show that the implication (p → q) → q ⇒ p ∨ q using rules of inference. OR 13. B). i) Define Existential and Universal quantifiers with examples. ii) List and explain different types of proof techniques with example. 14. A). Express the function (x Λ y) V (~x Λ ~y) into conjunctive normal form.	Max.Marks: 70
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ii) List and explain different types of proof techniques with example.	10
ii) List and explain different types of proof techniques with example.	4
14. A). Express the function $(x \wedge y) V (\sim x \wedge \sim y)$ into conjunctive normal form.	6
J. J	10
OR	
14. B). Show that {1, -1, i, - i} is an abelian group with respect to multiplication open	ation. 10

(P.T.O..)

State and prove fundamental theorem of graph theory.	IOM
OR	
i) Show that a complete graph K_n is planar if and only if $n \le 4$.	4M
ii) Take any two graphs and check whether those graphs are isomorphic to each other or not? Justify your answer.	6M
	OR i) Show that a complete graph K_n is planar if and only if $n \le 4$. ii) Take any two graphs and check whether those graphs are isomorphic to each other or

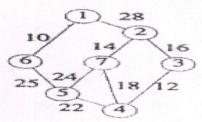


CMR COLLEGE OF ENGINEERING & TECHNOLOGY (UGC AUTONOMOUS)

B.Tech III Semester Regular & Supplementary Examinations Feb/March-2023			
Course Name: DESIGN & ANALYSIS OF ALGORITHMS			
]	(Common for CSC & CSD) Date: 22.02.2023 AN Time: 3 hours	- M1- 70	
•	(Note: Assume suitable data if necessary)	x.Marks: 70	
	PART-A		
	Answer all TEN questions (Compulsory) Each question carries TWO marks.	10x2=20M	
1.	Define the terms: i) Profiling ii) Space Complexity.	2 M	
2.	What are the Characteristics of an Algorithm?	2 M	
3.	What is the constraint and objective function of knapsack problem?	2 M	
4.	Distinguish dynamic programming and Divide and Conquer.	2 M	
5.	Define Bounding Function.	2 M	
6.	What is Chromatic number and give the state space tree for 4 – coloring problem?		
7.	Define spanning tree.	2 M	
8.	State Pre-ordered traversal of a tree.	2 M	
9.	Define Cook's Theorem.	2 M	
	Define Exponential Time.	2 M	
		2 M	
,	PART-B Answer the following. Each question carries TEN Marks.		
1	Answer the following. Each question carries TEN Marks		
	8. The faction curries 1ER Hairs.	5x10=50M	
11.A)). i) What is Time complexity of an algorithm? How to estimate time complexity using frequency count method.	5x10=50M 5M	
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	i) What is Time complexity of an algorithm? How to estimate time complexity using frequency count method.ii) Solve the following recurrence relation:	5M	
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11.A)	 i) What is Time complexity of an algorithm? How to estimate time complexity using frequency count method. ii) Solve the following recurrence relation: $T(n) = \begin{cases} a, & if \ n = 1 \\ 2T\left(\frac{n}{2}\right) + C_n \ if \ n > 1 \ where \ a \ and \ c \ are \ constants. \end{cases}$ OR i) Write the algorithm for matrix multiplication and find the time complexity of algorithm using step—count method. i) Explain the structure of Divide and Conquer algorithms. 	5M 5M of the 10M	
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11. A) 11. B)	 i) What is Time complexity of an algorithm? How to estimate time complexity using frequency count method. ii) Solve the following recurrence relation: \[T(n) = \begin{cases} a, & if n = 1 \\ 2T(\frac{n}{2}) + C_n & if n > 1 \] where a and c are constants. \[OR \] \[Write the algorithm for matrix multiplication and find the time complexity of algorithm using step—count method. \[i) Explain the structure of Divide and Conquer algorithms. \[ii) Write and explain starassen's Matrix Multiplication algorithm. \[OR \] \[i) Describe an algorithm for optimal solution of TSP using dynamic programming. \[ii) Solve the following job sequencing problem: \[\] \[\] \[\text{OR} \] \[\] \[\] \[\text{OR} \] \[\] \[\] \[\text{OR} \] \[\] \	5M 5M 5M 5M 5M 5M	
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11. A) 11. B)	 i) What is Time complexity of an algorithm? How to estimate time complexity using frequency count method. ii) Solve the following recurrence relation: T(n) = (a, if n = 1) (2T(n) + Cn if n > 1 where a and c are constants.) OR (a) Write the algorithm for matrix multiplication and find the time complexity of algorithm using step—count method. i) Explain the structure of Divide and Conquer algorithms. ii) Write and explain starassen's Matrix Multiplication algorithm. OR (a) OR (b) Describe an algorithm for optimal solution of TSP using dynamic programming. ii) Solve the following job sequencing problem: n=5, (p1,,p5)=(30, 45, 20, 15, 10) and (d1,, d5)=(2,2,1,3,3). 	5M 5M 5M 5M 5M 5M 5M 5M 5M	

Explain the FIFO BB 0/1 Knapsack problem procedure with the knapsack instance for 10M n=4, m=15, (p1,p2,p3,p4)=(10,10,12,18), (w1,w2,w3,w4)=(2, 4, 6, 9). Draw the portion of the state space tree and find optimal solution.

Find the minimum cost spanning tree for the given problem step by step using prim's 10M Algorithms.



OR

Explain the traversal of a graph using DFS and BFS.

10M

15. A). i) Explain NP-complete and NP-Hard classes and differentiate between them with suitable examples.

5M

ii) Explain the satisfiability problem and write the algorithm for the same.

5M

i) Explain NP-hard and NP-complete classes with examples.

5M

ii) Explain about min-max search problem.

5M

R18 Course Code: A30513 H.T No:



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14. A).	write in brief about	TUIVI
	(i) Pipeling	
	(ii) Comparison between RISC and CISC	
	OR	
14. B).	i) Mention the categories of multiprocessors? List the major MIMD Styles.	5M
	ii) Discuss about Array Processors.	5M
15. A).	i) Why page-table is required in a virtual memory system? Explain different ways of organizing a page table.	5M
	ii) What do you mean by memory hierarchy? Describe in detail.	5M
	OR	
15. B).	What is a page fault? What does a page fault signify? Explain the different page replacement algorithms which determine the page to be removed in case of full memory.	10M
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H.T No: R18 Course Code: A36201



CMR COLLEGE OF ENGINEERING & TECHNOLOGY

(UGC AUTONOMOUS)

B.Tech III Semester Regular & Supplementary Examinations Feb/March-2023
Course Name: OBJECT ORIENTED PROGRAMMING THROUGH JAVA
(Common for CSC, CSM, AID & AIM)

Da	(Common for CSC, CSM, AID & AIM) Atte: 27.02.2023 AN Time: 3 hours Max.Mark	s: 70
	(Note: Assume suitable data if necessary) PART-A	
	Answer all TEN questions (Compulsory)	
	Each question carries TWO marks. 10x2=	=20M
. L	ist any four features of java.	2 M
V	/hat is classpath variable?	2 M
. N	ame the keywords used in Exception Handling.	2 M
L	ist the uses of Inner classes.	2 M
	befine multithreading.	2 M
C	lassify the types of streams.	2 M
L	ist the steps to connect database using JDBC.	2 M
V	/hat are Generics and its uses?	2 M
V	/hat is AWT?	2 M
). D	efine JApplet.	2 M
	PART-B	
Ar	swer the following. Each question carries TEN Marks. 5x10=	50M
l.A).	What is Inheritance? Explain Method Overriding with suitable example.	10N
	OR	
. B).	Define package. Explain the procedure for creating and accessing a package with an example.	10N
A).	Develop a java program to read input from the user. If the input is —ve number then program should raise a user defined exception.	10M
	OR	
2. B).	What are the different types of a Inner classes? Explain Anonymous Inner Class with an example.	10N
3. A).	Explain wait(), notify() and notifyAll() methods for thread communication with example. OR	10N
3. B).	i) Develop a java program to count number of words, lines and characters in a given file.	5N
	ii) Develop a java program to create thread using Thread class.	5N
I. A).	Explain JDBC driver types in detail.	10N
	OR	101
4. B).	Explain ArrayList and HashTable with suitable example.	10N
. A).	i) List Event Classes and Event Listeners.	51
,	ii) Explain various mouse events.	5N 5N
	OR	310
. B).	Develop a java program to handle mouse events.	10M
		IUI



CMR COLLEGE OF ENGINEERING & TECHNOLOGY (UGC AUTONOMOUS)

Co	B.Tech III Semester Regular & Supplementary Examinations Feb/March-2023 ourse Name: DATABASE MANAGEMENT SYSTEMS	
C	(Common for CSE, IT, CSC, CSD & AID)	
Da	te: 01.03.2023 AN Time: 3 hours Max.Marl	ks: 70
	(Note: Assume suitable data if necessary) PART-A Answer all TEN questions (Compulsory)	=20M
1. H	ow to represent the strong entity set and weak entity set in E-R Model?	2 M
2. W	/hat are the limitations and goals of DBMS?	2 M
3. D	refine the terms: Relational Databases, Tables	2 M
4. E	xplain Integrity constraints over relations.	2 M
5. W	/hat do you mean by Normalization and note it's needy?	2 M
6. D	pefine Fifth Normal Form.	2 M
7. W	Vhat is Multiple Granularity?	2 M
8. V	Vhat do you mean by Locking protocol?	2 M
9. D	rifferentiate Indexing and Hashing.	2 M
10. D	viscuss about Primary Indexes.	2 M
Aı	PART-B aswer the following. Each question carries TEN Marks. 5x10	=50M
11.A).	i) Explain Conceptual design with E-R model.	5M
	ii) Explain in detail about DDL and DML with an example.	5M
	OR	
11. B).	List the Merits and Demerits of E-R model? Draw an E-R Diagram for any Banking Enterprise System.	10M
12. A).	Explain the following Operators in SQL with examples: i) SOME, ii) IN, iii) EXCEPT, iv) EXISTS and v) UNION.	10M
	OR	
12. B).	What are Integrity constraints? Define the terms Primary key constraints and Foreign key constraints. How are these expressed in SQL.	10M
13. A).	Explain in detail about 2NF, 3NF and BCNF with example.	10M
	OR	TOW
13. B).		10M

14. A).	i) Define Transaction? Explain ACID properties.	5M
	ii) Give an overview of Timestamp Based Protocol.	5M
	OR	
14. B).	Explain the concept of Serializability and Recoverability with example.	10M
15. A).	Explain Hash Based Indexing and Tree Based Indexing with example.	10M
	OR	
15. B).	Explain in detail about Indexed Sequential Access Methods.	10M



H.T No:

CMR COLLEGE OF ENGINEERING & TECHNOLOGY

	(UGC AUTONOMOUS)	
	B.Tech III Semester Regular & Supplementary Examinations Feb/March-2	.023
C	ourse Name: PYTHON PROGRAMMING	
D	(Common for CE, EEE, ME, ECE, CSE, IT, CSC & CSM) ate: 03.03.2023 AN Time: 3 hours Max	x.Marks: 70
D	ate: 03.03.2023 AN Time: 3 hours Max (Note: Assume suitable data if necessary)	LIVIARES: /U
	PART-A	
	Answer all TEN questions (Compulsory)	
	Each question carries TWO marks.	10x2=20M
1. N	Mention any two features of Python.	2 M
	What is implicit conversion? Give an example.	2 M
	Python strings are immutable. Justify.	2 M
4. I	Do Loop statements have else clause? When will it be executed?	2 M
5. I	How will you update list items? Give one example.	2 M
6. \	What is difference between list and tuple in python?	2 M
7. I	Explain what a constructor does.	2 M
8. I	How is the lifetime of an object determined? What happens to an object when it dies?	2 M
9. I	Explain what happens when a program receives a non-numeric string when a num	ber is 2 M
	expected as input.	
10. V	When would you make a data field read-only, and how would you do this?	2 M
	PART-B	
A	nswer the following. Each question carries TEN Marks.	5x10=50M
		1 100.5
11.A).		versed 10M
	number. Prompt the user for input.	
11 D)	OR	10M
11. B)	Explain the basic data types available in Python with examples.	TOW
10 1)	With a facultier to determine whether a given natural number is a perfect num	ber. A 10M
12. A)	No. Write a function to determine whether a given natural number is a perfect number natural number is said to be a perfect number if it is the sum of its divisors.	bei. A Tolvi
	OR	
12. B)		10M
12. 5)	Zibi die dies types et eenderen en e	
13. A)). Write a Python program to add 'ing' at the end of a given string (length should	l be at 10M
15.11)	least 3). If the given string already ends with 'ing' then add 'ly'. instead. If the	
	length of the given string is less than 3, leave it unchanged.	
	OR	
13. B)	Compare and contrast different functions and methods used in dictionaries and set.	10M

(P.T.O..)

14. A).	i) Write a short notes on different built in attributes associated with a class.	5M
	ii) With the help of examples explain the concept of class methods and static methods.	5M
	OR	
14. B).	Write a program that uses datetime module within a class. Enter manufacturing date and expiry date of the product. The program must display the years, months, and days that are left for expiry.	10M
15. A).	Write a line of code that adds a Float Field to a window, at position (1, 1) in the grid, with an initial value of 0.0, a width of 15, and a precision of 2.	10M
	OR	
15. B).	Describe the Graphical user interface using the tkinter module and widgets.	10M